Read pages 143 through page 185. I suggest that you look at, but do not hand in, the following problems of the text: page 139 #3, page 130 #3, and page 184 #1, 9, 21 and 23.

Work and hand in the solutions to the following problems:

- 1. Page 171 #11.
- 2. Page 171 #12.
- 3. Page 184 #6.
- 4. Page 184 #15.
- 5. Page 184 #16abc.
- 6. Page 184 #18.
- 7. Page 184 #19 (See Theorem page 180 which is VII.30.)
- 8. Page 184 #25.

Homework VIII Due Thursday, February 25, 2010 in section Read from 185 through 233. Learn the regular solids (the Platonic solids) page 539.

- 1. Make your own "sieve of Eratosthenes" for the numbers 1 through 100. Explain why you only need to consider primes less than or equal to 10. (See page 185 #224.) How does your result compare to what is shown on page 188?
- 2. Page 194 #1.
- 3. Page 196 #6. (There is a formula for the area of a convex, plane quadrilateral with sides of length a,b,c,d consecutively about the figure and with opposite interior angles of  $\theta,\varphi$ . Let s be the semi-perimeter. The area is

$$\sqrt{(s-a)(s-b)(s-c)(s-d)-abcd\cos^2\frac{\theta+\varphi}{2}}$$
.)

- 4. Page 211 #2ab. (You may use your knowledge of calculus to solve this problem.)
- 5. Page 212 Look at #4 and then do #5. (Certainly use a calculator. Show the values of  $S_6, S_{12}, S_{24}, S_{48}, S_{96}$ .) See page 204 Proposition 3 to understand that Archimedes found an upper and lower bound for  $\pi$ . (The notation  $\pi$  for the circumference divided by the diameter came much later.)
- 6. Page 233 #1.
- 7. Page 233 #3.
- 8. Page 233 #13.

The SECOND MIDTERM EXAMINATION on February 26, 2010 will concentrate on material related to Homework V-VIII.